Could the collision of CMEs in the heliosphere be super-elastic? Validation through three-dimensional simulations

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Received 3 February 2013; revised 5 March 2013; accepted 7 March 2013; published 29 April 2013.

Though coronal mass ejections (CMEs) are magnetized fully ionized gases, a recent observational study of a CME collision event in 2008 November has suggested that their behavior in the heliosphere is like elastic balls, and their collision is probably superelastic [C. Shen et al., 2012]. If this is true, this finding has an obvious impact on the space weather forecasting because the direction and velocity of CMEs may change. To verify it, we numerically study the event through three-dimensional MHD simulations. The nature of CMEs’ collision is examined by comparing two cases. In one case, the two CMEs collide as observed, but in the other, they do not. Results show that the collision leads to extra kinetic energy gain by 3–4% of the initial kinetic energy of the two CMEs. It firmly proves that the collision of CMEs could be superelastic. Citation: Shen, F., C. Shen, Y. Wang, X. Feng, and C. Xiang (2013), Could the collision of CMEs in the heliosphere be superelastic? Validation through three-dimensional simulations, Geophys. Res. Lett., 40, 1457–1461, doi:10.1002/grl.50336.

1. Introduction

Dynamic process of coronal mass ejections (CMEs) in the heliosphere is key information for us to evaluate the CMEs’ geo-effectiveness. But it becomes more complicated when successive CMEs interact in the heliosphere. Both observational and numerical studies have shown that a CME’s shape, velocity, and direction may change significantly through collisions and interactions [e.g., Wang et al., 2002, 2003, 2005, Reiner et al., 2003; Farrugia and Berdichevsky, 2004; Lugaz et al., 2005, 2009, 2012; Hayashi et al., 2006; Xiong et al., 2007; Wu et al., 2007; Liu et al., 2012; Temmer et al., 2012; Shen et al., 2012; C. Shen et al., 2012].

The CMEs are magnetized plasmoids. In most cases, CMEs could be treated as an elastic ball in the heliosphere due to low reconnection rate, and the collision between them was usually thought to be elastic or inelastic, through which the total kinetic energy of colliding CMEs conserves or decreases. This classic collision picture was often used to analyze the momentum exchange during CME collisions [e.g., Lugaz et al., 2009; Temmer et al., 2012]. But the picture sometimes failed to explain observations. For example, the analysis of 1 August 2010 CME-CME interaction event suggested that the collision between CMEs is unlikely to be elastic or perfectly inelastic [Temmer et al., 2012]. A possible explanation is that the CME-driven shock if any may be involved in the momentum transfer [Lugaz et al., 2009]. Another explanation can be found in a most recent work about the CME-CME interaction event during 2–8 November 2008 by C. Shen et al. [2012], which for the first time revealed that the collision of CMEs could be superelastic. A fundamental definition of superelastic collision is that the total kinetic energy of colliding system increases after the collision. It is unexpectedly beyond the classic collision picture, but well explains the observed track of the leading CME in that event.

If superelastic collision does happen, the CME’s effect on space weather needs to be re-evaluated because more thermal and magnetic energy inside CMEs will be converted into kinetic energy, which may cause the changes of the direction and velocity of CMEs to be different from usually expected. However, at present, the finding of superelastic is doubtable, because the result was obtained based on the remote imaging data from STEREO spacecraft and some highly ideal assumptions. Thus, a numerical simulation may favor us validating the possibility of CMEs’ superelastic collision.

In this letter, we carry out three-dimensional (3-D) MHD simulations based on the observations of the 2008 November event and try to reveal the nature of the CMEs’ collision through the analysis of the energy transformation during the collision. In the next section, the MHD model and simulation method are introduced. The simulation results of the CMEs’ collision and a comparison with a non-collision case are presented in sections 3 and 4, respectively. In the last section, a summary and discussion is given.

2. MHD Model and Simulation Method

The numerical scheme we used is a 3-D coronal-interplanetary total variation diminishing (COIN-TVD) scheme in a Sun-centered spherical coordinate system $\{r, \theta, \varphi\}$ [Feng et al., 2003, 2005; Shen et al., 2007, 2009]. The projected characteristic boundary conditions [Wu and Wang, 1987; Hayashi, 2005; Wu et al., 2006] are adopted at the lower boundary. The computational domain is set to cover $1 R_s \leq r \leq 100 R_s$, $-89^\circ \leq \theta \leq 89^\circ$ and $0^\circ \leq \varphi \leq 360^\circ$, where $r$ is the radial distance from solar center in units of solar radius $R_s$, and $\theta$ and $\varphi$ are the elevation and azimuthal angles, respectively.

We first establish a steady state of background solar wind. The potential field, extrapolated from the observed
The leading edges of the two CMEs move faster than ambient solar wind. Thus, we locate the CMEs by simply setting a threshold of 450 km s\(^{-1}\) in the map of radial velocity. The time of introducing CME\(_1\) into computational domain is set to be zero. Figure 2 shows the 3-D view of the radial velocity distribution at \(t = 7\), 10, and 15 h, respectively. Only the regions of the radial velocity equal to 450 and 600 km s\(^{-1}\) are displayed for clarity. Due to the selection effect, some shell structures are shown, but they do not reflect the real CME shape. The CMEs can be recognized through the superimposed node-shaped magnetic field lines.

Since CME\(_2\) is faster than CME\(_1\), the two CMEs get closer and closer as shown in the three panels. The momentum transfer could be clearly seen by noting the orange region. At 7 h, right before the collision, the orange region, which denotes a radial velocity of 600 km s\(^{-1}\), locates in CME\(_2\). After the two CMEs touch, the orange region moves forward, which suggests a momentum transfer from CME\(_2\) to CME\(_1\).

With some limits of the MHD code, however, we cannot identify the exact boundary of a CME. Thus, we do not analyze the momentum or energy change for individual CMEs, but instead, analyze the variations of all kinds of energies integrated over the whole computational domain. All the energies of the two CMEs and solar wind at initial time are shown in Table 1. Although the energy of the two CMEs is only about 5% of the total energy of background solar wind, it is larger than the errors unavoidably from numerical calculations and ideal MHD assumptions as will be seen below.

The solid black line in the top panel of Figure 3 shows the variation of the total energy, \(E_t\), an integrated

Table 1. Initial Parameters of CMEs and Background Solar Wind\(^a\)

<table>
<thead>
<tr>
<th></th>
<th>(v) km s(^{-1})</th>
<th>(n) (\times10^{17}) cm(^{-3})</th>
<th>(T) (\times10^5) K</th>
<th>(B) (\times10^5) nT</th>
<th>(\beta)</th>
<th>(R) (R_s)</th>
<th>(E_\alpha)</th>
<th>(E_m)</th>
<th>(E_\beta)</th>
<th>(E_g)</th>
<th>(E_t)</th>
</tr>
</thead>
<tbody>
<tr>
<td>CME(_1) N06W28</td>
<td>243</td>
<td>4.0</td>
<td>3.33</td>
<td>1.22</td>
<td>0.06</td>
<td>0.5</td>
<td>0.077</td>
<td>0.104</td>
<td>0.097</td>
<td>-0.064</td>
<td>0.213</td>
</tr>
<tr>
<td>CME(_2) N16W08</td>
<td>407</td>
<td>4.0</td>
<td>4.17</td>
<td>1.47</td>
<td>0.06</td>
<td>0.5</td>
<td>0.261</td>
<td>0.150</td>
<td>0.145</td>
<td>-0.088</td>
<td>0.468</td>
</tr>
<tr>
<td>SW N11W18</td>
<td>316 ~ 433</td>
<td>5.0</td>
<td>4.17</td>
<td>1.47</td>
<td>0.06</td>
<td>0.5</td>
<td>5.30</td>
<td>3.11</td>
<td>7.28</td>
<td>-2.52</td>
<td>13.2</td>
</tr>
</tbody>
</table>

\(^a\)The columns from the second one to the right are the propagation direction, velocity, number density, temperature, magnetic field, plasma beta, radius, and the kinetic, magnetic, thermal, gravitational and total energies, respectively. The values of the velocity of solar wind are at \(r = 18\) and 100 \(R_s\), respectively, in the direction of N11W18. The energies of solar wind are the integration over the whole computational domain before CMEs are introduced.
value over the whole computational domain, after the launch of CME2 at \( t = 6 \) h. The quick drop of \( E_k \) at the beginning is because the introduced CME expels the ambient solar wind. This is a numerical effect and brings difficulty into the analysis of energy variation. To reduce it, we first calculate the net energy flowing into the computational domain at boundaries in a time interval \( \Delta t \), which is \( E_b = \Delta t \int v \cdot \sigma \cdot dS \), where \( E_b \) is the energy density at time \( t \) and \( S \) is the surface of the boundaries, and then deduct it from the total energy to get a corrected energy. Assume that the total energy at any given instant \( t_i \) is \( E_{ti} \) and the net energy flow across the boundaries since the last instant \( t_{i-1} \) is \( E_{bi} \), the correct total energy is \( E_i = E_{ti} - \sum_{j} E_{bj} \), which should be always equal to the total energy at initial time \( t_0 \) in theory. After the correction, the total energy varies in small range of about \( 5 \times 10^{25} \) erg as shown by the solid blue line in the top panel of Figure 3 that just indicates the numerical error in our simulation. It is much smaller than the CME energies listed in Table 1.

[13] All kinds of energies after the correction are shown in the other panels in Figure 3. After the two CMEs propagate into the computational domain, the kinetic energy, \( E_k \), and gravitational energy, \( E_g \), both continuously increase, whereas the magnetic energy, \( E_m \), and thermal energy, \( E_t \), both decrease. The changes of these energies are all one order larger than the variation of total energy, suggesting a real physical process. The increase of \( E_k \) is due to the CMEs carrying heavier plasma than the background solar wind. The changes of other energies are consistent with the well-known picture that the CME’s magnetic and thermal energy will be converted into kinetic energy as it expands during the propagation [e.g., Kumar and Rust, 1996; Wang et al., 2009].

[14] In order to validate that the kinetic energy gain (or partial of it) comes from a superelastic collision, we need another case for comparison, in which the two CMEs do not collide. To do this, we adjust the longitude of CME2 to \( 165^\circ \)W, which causes the longitudinal separation between the two CMEs to be \( 175^\circ \), and keep all the other parameters exactly the same as those in the case of collision. Hereafter we use Case 1 for collision, Case 2 for non-collision and CME2′ for the second CME in Case 2. Figure 1 has shown that the background solar wind and magnetic structure around CME2 and CME2′ are quite similar. We believe that the two cases are comparable.

4. Comparison Between the Cases of Collision and Non-collision

[15] From CME1 being introduced into computational domain to the instance of CME2 being introduced, the two cases are exactly the same. After CME2 is introduced, the two cases become different. The dashed blue lines in Figure 3 show the energy variations for Case 2, which are similar to those in Case 1 except some small differences. These small differences are shown much clearly in Figure 4.

[16] The difference of the total energy, \( \Delta E_t \), between the two cases has small fluctuations with an amplitude of about \( 2 \times 10^{29} \) erg. It indicates the level of numerical error. The difference of the gravitational energy, \( \Delta E_g \), is about \( 10^{29} \) erg, smaller than the numerical error. Thus, we cannot conclude if \( \Delta E_g \) is real or not. For all the other energies, the differences are significantly larger than the error and thought to be physically meaningful.

[17] It is found that from the time of \( t = 7 \) h, the difference of the kinetic energy, \( \Delta E_k \), rapidly increases from about \( 2 \times 10^{29} \) erg to about \( 1.4 \times 10^{30} \) erg in \( 2 \) h, and then decreases back to about \( 10^{30} \) erg and slowly returns. It means that there is extra kinetic energy gain in Case 1. Recall that the energy flow across the boundaries has been deducted, and therefore the extra kinetic energy gain must come from the collision of the two CMEs. Although we do not know the kinetic energy for each CME, the comparison between Case 2 and Case 1 is just like the comparison between the state before and after the collision. The significant difference between the two cases in the kinetic energy does confirm that the collision of CMEs could be superelastic as suggested by C. Shen et al. [2012].

[18] It is hard to identify when the collision ends. It might be at \( t = 20 \) h or even later. But we are sure that the two CMEs have fully interacted for a long time. This long process allows magnetic and thermal energies to be converted into kinetic energy. It is noticed that the decrease of the magnetic energy is much larger than that of the thermal energy, which suggests that the magnetic energy stored in CMEs is the major source of the extra kinetic energy gain.
5. Summary and Discussion

[19] We have comparatively investigated the energy variation during the collision of two successive CMEs. It is found that the kinetic energy gain in the case of collision is larger than that in the case of non-collision though the initial conditions of the two CMEs and the background solar wind are exactly the same. This result does suggest that the collision between the two CMEs is superelastic, through which additional magnetic and thermal energies are converted into kinetic energy.

[20] In this study, the initial kinetic energy of the two CMEs is about $33.8 \times 10^{30}$ erg (see Table 1). Since the collision happens quickly after the introductions of the CMEs, we may use this value approximately as the CMEs’ kinetic energy right before the collision. The extra kinetic energy gain due to the collision is on the order of $10^{30}$ erg. It is therefore derived that the superelastic collision of the two CMEs causes their total kinetic energy increased by about 3–4%, which is close to the value of 6.6% given by Shen et al. [2012]. Assuming the energy gain totally goes to CME1, we then estimate that the kinetic energy of CME1 increases by about 13%. Normally, the leading CME will be accelerated and the trailing CME decelerated [e.g., Wang et al., 2005; Shen et al., 2012; Lugaz et al., 2012]. Thus, the percentage of the kinetic energy gain of CME1 should be even higher. In terms of velocity, CME1 is speeded up by at least 6%, i.e., 15 km s$^{-1}$. This number is not large enough to impact the space weather forecasting. But a comprehensive investigation of the effect of collision on the velocity and direction of CMEs is still worth being pursued.

[21] In this letter, we only consider the CMEs similar to the 2008 November event. It is not clear if the collision between any CMEs is superelastic. Moreover, some open questions remain. For example, how are the magnetic or thermal energies convert into kinetic energy? How does magnetic reconnection influence the collision process and result if it efficiently occurred? Another interesting thing is that the 2010 August event studied by Temmer et al. [2012]...
might be a case of “super-inelastic” collision, a process somewhat like merging, of two fast CMEs. How and why might it happen? All these questions are worthy of further studies.

Acknowledgments. This work is jointly supported by grants from the 973 key projects (2012CB825601, 2011CB811403), the CAS Knowledge Innovation Program (KZZD-EW-01-4), the NFSC (41031066, 41074121, 41231068, 41174150, 41274192, 41131065, 41121003 and 41274173), the Specialized Research Fund for State Key Laboratories, and the Public Science and Technology Research Funds Projects of Ocean (201005017).

References


